



# Assessment of meteorological drought analysis in the Kizilirmak River Basin, Turkey

Gaye Akturk<sup>1</sup> · Utku Zeybekoglu<sup>2</sup> · Osman Yildiz<sup>1</sup>

Received: 24 September 2021 / Accepted: 13 April 2022 / Published online: 25 April 2022  
© Saudi Society for Geosciences 2022

## Abstract

Drought is a natural disaster that may affect our lives in different ways. In this study, a meteorological drought analysis in the Kizilirmak river basin of Turkey was presented. The basin is located in a region with semi-arid climate characteristics. The monthly precipitation data for the 1960–2017 period from 22 meteorological stations within the basin were utilized for the drought analysis. In the scope of this research, firstly the most appropriate probability distributions for the monthly precipitation data were investigated using the goodness-of-fit tests. The Standardized Precipitation Index (SPI) was employed to examine drought characteristics in the basin. The spatial maps of droughts were constructed to identify the spatial variations of droughts for the selected years. According to the study results, the Pearson Type III probability distribution was determined as the best-fit probability distribution for the monthly precipitation at most of the stations within the basin. With the use of SPI time series, it was found that 31 years of the study period were affected by droughts with varying severities. The evaluation of spatial maps also revealed that the Kizilirmak river basin was under the impact of widespread droughts across the country during the study period.

**Keywords** Drought analysis · The Kizilirmak River Basin · Precipitation · Probability distributions · Turkey

## Introduction

It is estimated that the global climate change impacts on the hydrological cycle over time will adversely affect water resources, agricultural production, public health, terrestrial and aquatic ecosystems, coastal regions and meteorological disasters including, for example, heat waves, floods, and droughts. As one of the most devastating disasters, drought can influence the entire life in the world with major effects, especially on the availability of water resources, agriculture,

forestry, hydropower, health, and other socio-economic sectors. In fact, the effects of drought on water resources appear as decreases in soil moistures, river flows, dam reservoirs, and groundwater storages (Nan et al. 2011; Zhang et al. 2019; Poschlod et al. 2020). Drought can occur suddenly, and it spreads quickly. Uncertainty in the beginning and end of a drought, its cumulative increase with impacts on multiple sources at the same time, and its high economic dimension are the most important features that distinguish it from other natural disasters (Wilhite 2000; Tallaksen and Van Lanen 2004).

As a natural climatic phenomenon, drought can be characterized as a shortage of water caused by a temporary imbalance in the amount of moisture in a region. Actually, several drought definitions have been proposed in the literature due to the fact that a drought event can influence the life of people in various forms. However, the following definitions are more widely used in practice: (i) meteorological drought is actually connected with the precipitation deficit significantly below normal levels over an extended period of time, (ii) agricultural drought is explained as the lack of soil water or moisture needed by plants during the growing season and development, (iii) hydrological drought is

Responsible Editor: Broder J. Merkel

✉ Utku Zeybekoglu  
utkuz@sinop.edu.tr  
Gaye Akturk  
gayeoguzturk@kku.edu.tr  
Osman Yildiz  
osmanyildiz@kku.edu.tr

<sup>1</sup> Faculty of Engineering and Architecture, Kirikkale University, Yahsihan, 71450 Kirikkale, Turkey

<sup>2</sup> Boyabat Vocational School of Higher Education, Sinop University, Boyabat, 57200 Sinop, Turkey

associated with the lack of rainfall into groundwater, surface, and subsurface waters and may persist after the meteorological drought, (iv) socioeconomic drought occurs when the social and economic effects of water shortage are significant, for example, if supply and demand balance in economy is disturbed due to drought (Wilhite and Glantz 1985; Dai 2011; Potop et al. 2012; Mouatadid et al. 2018; Bacanlı and Aksan 2019).

Researchers all over the world conduct different drought studies by using different parameters (e.g., precipitation, temperature, evapotranspiration, soil moisture, streamflow). In this regard, different drought indices have been developed in order to provide useful information about drought features including duration, intensity, magnitude, frequency, spatial extent, and temporal evolution. In fact, they can be helpful for detecting and monitoring of droughts in time and space. They can also produce valuable data for early drought warning systems, mitigation of drought effects as well as drought risk analysis and management (Svoboda et al. 2015; Ozger et al. 2020). Although there are many drought indices introduced in the literature, the Standardized Precipitation Index (SPI) developed by McKee et al. (1993, 1995) is among the most commonly employed for drought studies. Mishra and Singh (2010) presented a comparison study on drought indices. The authors evaluated the intensity and return periods of various drought events, and they eventually reported that the best results for the SPI method were obtained using the Gamma probability distribution, which is one of the best-fit distribution for monthly precipitation data. Since the SPI method has a simple and fast algorithm, many different drought studies using this method around the world can be found in the literature.

Located in a semi-arid climate zone in the world, Turkey is actually under the effect of Mediterranean macroclimate. Drought events are experienced across the country very frequently dependent on atmospheric states, climate conditions, and physical geography factors as well. The long-term average of the annual precipitation in the country is about 643 mm, and approximately 67% of it falls in winter and spring seasons. Most of the central and southeastern regions of the country have semi-arid climate characteristics, while some parts of the central Anatolia near Lake Tuz are considered to have arid conditions with 300 mm of annual precipitation (Komuscu 2001; Sonmez et al. 2005). The precipitation levels significantly below the long-term averages in many parts of the country have caused meteorological drought events and subsequent agricultural, hydrological, and socioeconomic droughts. In Turkey, the most widespread droughts with relatively high intensities occurred during the periods of 1932, 1955–1956, 1971–1974, 1977, 1983–1984, 1989–1991, 1996, 1999–2001, 2007–2008, and 2013–2014 (Turkes 1996, 2012, 2014; Komuscu 2001; Molavizadeh et al. 2016; Alqaysi et al. 2017; Aksoy et al.

2021). Especially since the early 1970s, increases in the areal coverage, frequency, and severity of drought events have been observed over the country (Turkes 1996, 1998, 2003; Turkes and Erlat 2003, 2005).

Drought researches in Turkey have started as early as the 1940s. In recent decades, a number of regional drought studies in different parts of the country with several drought indices have been presented in the literature. Sirdas and Sen (2003) conducted a spatiotemporal drought analysis in the Trakya region using the SPI and the run analysis methods. Pamuk et al. (2004) investigated the meteorological drought characteristics in the Aegean region utilizing the SPI time series at various time scales. Keskin and Sorman (2010) used the SPI along with the Standardized Potential Evapotranspiration Index (SPEI) and the Standardized Runoff Index (SRI) to examine hydrological and meteorological dry and wet episodes in the Camlidere dam basin. Durdu (2010) presented a study to estimate seasonal as well as non-seasonal SPI time series in the Buyuk Menderes river basin by linear stochastic models. Dogan et al. (2012) utilized six different drought indices including the SPI to identify meteorological droughts in the Konya closed basin, where arid and semi-arid climate conditions prevail extensively. Yildiz (2014) determined the spatial and temporal features of meteorological droughts in the central Anatolia with the SPI method. Oguzturk and Yildiz (2016) performed a drought analysis in the Hirfanli dam basin using the SPI time series at several time scales and indicated that the SPI can be a useful method for drought prediction in the study area. Karabulut (2015) examined the drought conditions at different time scales over the 1975–2010 period in the Antakya-Kahramanmaraş graben using the SPI and cumulative deviation curve methods. Gumus and Algin (2017) presented a hydrometeorological drought analysis in the Seyhan and Ceyhan river basins to define temporal and spatial drought variations employing the SPI and the Streamflow Drought Index (SDI). Dikici (2020) carried out a drought risk analysis in the Asi river basin with the help of different drought indices including the SPI to calculate the magnitude and severity of droughts. Kumanlioglu (2020) investigated meteorological and hydrological drought characteristics in the Demirkopru dam basin with the use the SPI, SPEI, and SRI methods. Topcu et al. (2021) conducted a drought analysis in the Eastern Mediterranean, Seyhan, Ceyhan, and Asi river basins with the Aggregate Drought Index (ADI). Katipoglu et al. (2021) assessed the meteorological and hydrological drought risks in the Euphrates basin with the help of four different drought indices including the SPI.

The main objective of this study is to evaluate meteorological droughts in the Kizilirmak river basin located in a semi-arid region in Turkey. For this purpose, the monthly precipitation data between 1960 and 2017 obtained from 22 meteorological stations across the basin were utilized. In

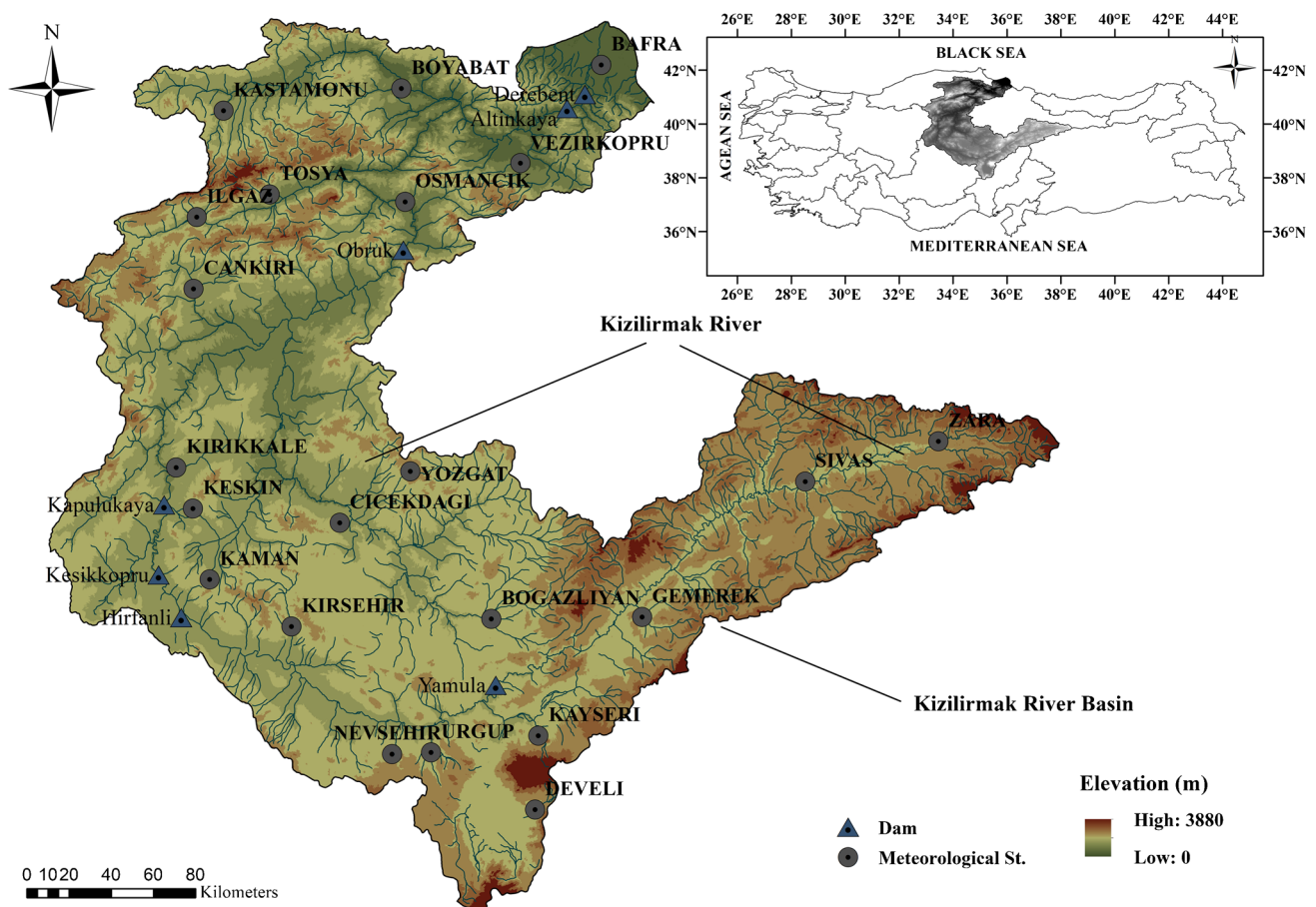
the study, appropriate probability distributions for the precipitation time series at each individual station were first determined using the Kolmogorov–Smirnov and chi-square goodness-of-fit tests. The SPI method was then employed to assess the historical droughts in the basin during the study period. The SPI values were calculated at different time scales to assess drought characteristics including duration, magnitude, and intensity. Later, the drought maps for the selected drought years were obtained in order to indicate the temporal and spatial variations of droughts within the basin.

## The study area and data

The basin is geographically located at  $32.80^{\circ}$ – $38.35^{\circ}$  E longitudes and  $35^{\circ}$ – $41.75^{\circ}$  N latitudes. The basin has a surface area of  $82,082 \text{ km}^2$ , which corresponds to approximately 10% of Turkey's surface area (Fig. 1). The Kizilirmak river is among the most important water resources in the country with a long-term annual average flow rate of  $184 \text{ m}^3/\text{s}$  at its outlet to the Black Sea. The Kizilirmak

river basin is generally characterized by wide-ranging plateaus and meadow highlands with an altitude up to 3880 m above the sea level (Fig. 1). The basin with a relatively large area has quite different topographic, geographical, and climatic features. Therefore, the basin is divided into 3 subregions namely upper, middle, and lower. The upper region bordered by high mountains from north to south at the upstream of the basin is usually characterized by high plateaus and hilly lands. The middle region mostly consists of relatively low plateaus and meadows and has a number of dams built for irrigation and hydropower. The lower region contains relatively low downstream lands of the basin with the outlet to the Black Sea. Since the northern Anatolian mountains in the region form a barrier in front of moist air masses from the sea, the inner parts of the basin are characterized by a relatively drier climate (Oguzturk 2010; Sagdic and Koc 2012; Yildiz 2014).

The monthly precipitation data between 1960 and 2017 were obtained from the General Directorate of Meteorology (MGM) of Turkey. A total number of 22 meteorological stations with available data were selected for the



**Fig. 1** The study area and the location of meteorological stations utilized in the study

**Table 1** Statistics of monthly precipitation data at selected meteorological stations

| Station name | Data period | Mean (mm) | Max (mm) | Std. dev. (mm) | Kurtosis | Skewness |
|--------------|-------------|-----------|----------|----------------|----------|----------|
| Bafra        | 1960–2017   | 64.33     | 343.90   | 45.48          | 3.21     | 1.38     |
| Bogazliyan   | 1960–2017   | 30.54     | 159.90   | 25.62          | 1.61     | 1.11     |
| Boyabat      | 1960–2017   | 34.82     | 241.50   | 28.52          | 6.63     | 1.93     |
| Cankiri      | 1960–2017   | 34.36     | 149.80   | 27.35          | 1.37     | 1.14     |
| Cicekdagi    | 1972–2017   | 28.73     | 171.10   | 23.89          | 2.52     | 1.19     |
| Develi       | 1960–2017   | 30.27     | 159.60   | 26.36          | 1.14     | 1.02     |
| Gemerek      | 1960–2017   | 33.29     | 160.00   | 27.24          | 1.51     | 1.07     |
| Ilgaz        | 1960–2017   | 40.26     | 216.60   | 31.45          | 3.09     | 1.36     |
| Kaman        | 1960–2017   | 38.91     | 246.20   | 33.67          | 2.82     | 1.26     |
| Kastamonu    | 1960–2017   | 41.73     | 278.70   | 32.08          | 5.89     | 1.80     |
| Kayseri      | 1960–2017   | 32.46     | 164.70   | 25.85          | 0.98     | 0.93     |
| Keskin       | 1960–2017   | 33.92     | 145.90   | 27.66          | 0.80     | 1.02     |
| Kirikkale    | 1960–2017   | 31.87     | 150.15   | 26.81          | 0.91     | 1.02     |
| Kirsehir     | 1960–2017   | 31.94     | 161.40   | 26.82          | 1.26     | 1.04     |
| Nevsehir     | 1960–2017   | 34.41     | 148.80   | 27.54          | 0.43     | 0.81     |
| Osmancik     | 1976–2017   | 32.90     | 139.00   | 24.85          | 0.92     | 1.01     |
| Sivas        | 1960–2017   | 36.58     | 154.80   | 28.29          | 0.64     | 0.85     |
| Tosya        | 1960–2017   | 39.43     | 157.20   | 28.35          | 1.03     | 0.99     |
| Urgup        | 1964–2017   | 30.47     | 138.30   | 25.39          | 0.95     | 0.98     |
| Vezirkopru   | 1960–2017   | 48.39     | 172.00   | 29.76          | 0.63     | 0.73     |
| Yozgat       | 1960–2017   | 48.92     | 192.30   | 38.55          | 0.44     | 0.85     |
| Zara         | 1960–2017   | 43.83     | 171.40   | 33.90          | 0.61     | 0.90     |

drought analysis (Table 1). The evaluation of precipitation records indicates that the long-term mean annual precipitation is about 450 mm, and most of the precipitation falls during the spring in the basin.

## Methodology

### Probability distribution functions

In this study, the normal, lognormal, two-parameter Gamma and Pearson type III probability distributions were selected for the best-fit analysis of the monthly precipitation data.

#### Normal distribution

The normal distribution is a probability distribution centered on the mean. It is also known as Gaussian distribution and characterized by a bell-shaped curve. The probability density function (PDF), and cumulative distribution function (CDF) for a normal random variable  $x$  are given in Eqs. (1)–(2):

$$f(x) = \frac{1}{\sigma_x \sqrt{2\pi}} \exp\left[-(x - \mu_x)^2 / 2\sigma_x^2\right] \quad (1)$$

$$F(x) = \frac{1}{\sigma_x \sqrt{2\pi}} \int_{-\infty}^{\infty} \left( \exp\left[-(x - \mu_x)^2 / 2\sigma_x^2\right] \right) dx \quad (2)$$

where  $\mu_x$  is mean, and  $\sigma_x$  is standard deviation (Forbes et al. 2010).

#### Lognormal distribution

The lognormal distribution is a continuous probability distribution of logarithmic values from a related normal distribution. That is, when a random variable  $x$  is transformed into  $y = \ln(x)$ , the distribution of  $x$  is called lognormal, if the distribution of the transformed variable  $y$  is normal. In this case, the PDF and CDF of  $x \geq 0$  are given by Eqs. (3)–(4):

$$f(x) = \frac{1}{x\sigma_Y \sqrt{2\pi}} \exp\left[-(\ln(x) - \mu_Y)^2 / 2\sigma_Y^2\right] \quad (3)$$

$$F(x) = \frac{1}{\sigma_Y \sqrt{2\pi}} \int_0^x \left( \frac{1}{x} \exp\left[-(\ln(x) - \mu_Y)^2 / 2\sigma_Y^2\right] \right) \quad (4)$$

where  $\mu_Y$  and  $\sigma_Y$  are respectively mean and standard deviation for variable  $y$ , and they can be estimated by Eqs. (5)–(6).

$$\mu_Y = \ln[\mu_x / (\sigma_x^2 / \mu_x^2 + 1)]^{1/2} \quad (5)$$

$$\sigma_Y = [\ln(\sigma_x^2 / \mu_x^2 + 1)]^{1/2} \quad (6)$$

in which  $\mu_x$  is mean, and  $\sigma_x$  is standard deviation for variable  $x$  (Forbes et al. 2010).

### Gamma distribution

The Gamma distribution is a two-parameter family of continuous probability distributions. The PDF and CDF of a random variable  $x \geq 0$  are stated by Eqs. (7)–(8)

$$f(x) = \frac{1}{\beta^\alpha \Gamma(\alpha)} x^{\alpha-1} e^{(-x/\beta)} \quad (7)$$

$$F(x) = \frac{1}{\beta^\alpha \Gamma(\alpha)} \int_0^x x^{\alpha-1} e^{(-x/\beta)} dx \quad (8)$$

where  $\Gamma$  is the Gamma function and,  $\alpha$  and  $\beta$  are respectively shape and scale parameters ( $\alpha > 0$  and  $\beta > 0$ ) estimated by Eq. (9):

$$\mu_x = \alpha\beta; \sigma_x^2 = \alpha\beta^2; C = 2/\sqrt{\alpha} \quad (9)$$

in which  $\mu_x$  and  $\sigma_x$  are mean and standard deviation, respectively, and  $C$  is coefficient of skewness for variable  $x$  (Forbes et al. 2010).

### Pearson type III distribution

As one of the most commonly employed probability distributions for hydrologic frequency analysis, the Pearson type III distribution is the generalized Gamma distribution with three parameters. The PDF and CDF of a random variable  $x \geq \xi$  are defined by Eqs. (10)–(11)

$$f(x) = \frac{1}{\beta^\alpha \Gamma(\alpha)} (x - \xi)^{\alpha-1} e^{-(x-\xi)/\beta} \quad (10)$$

$$F(x) = \frac{1}{\beta^\alpha \Gamma(\alpha)} \int_0^x (x - \xi)^{\alpha-1} e^{-(x-\xi)/\beta} dx \quad (11)$$

in which  $\Gamma$  is the Gamma function, and  $\alpha$ ,  $\beta$  and  $\xi$  are respectively shape, scale, and location parameters estimated by Eq. (12):

$$\mu_x = \xi + \alpha\beta; \sigma_x^2 = \alpha\beta^2; C = 2/\sqrt{\alpha} \quad (12)$$

where  $\mu_x$  and  $\sigma_x$  are mean and standard deviation, respectively, and  $C$  is coefficient of skewness for variable  $x$  (Forbes et al. 2010).

### Goodness-of-fit test

As a statistical hypothesis test, the goodness-of-fit test is utilized to see how well the sample data fits a distribution from a population with the normal distribution (Han 1979). In this study, chi-square and Kolmogorov–Smirnov tests were applied to the selected probability distributions in order to find the best-fit distribution for the monthly precipitation data in the basin.

### Chi-square test

The chi-square test is employed for goodness-of-fit of empirical data to specified theoretical frequency distributions. The test statistic  $\chi^2$  is calculated from the relationship in Eq. (13)

$$\chi^2 = \sum_{i=1}^m (Q_i - E_i)^2 / E_i \quad (13)$$

in which  $m$  is the number of class intervals,  $Q_i$  and  $E_i$  are the observed and the expected number of observations, respectively, in the  $i$ th class interval. As known that the distribution of  $\chi^2$  is a chi-squared distribution with  $m-k-1$  degrees of freedom (D.F.) where  $k$  is the number of parameters estimated from the data. The hypothesis that the sample data is from the specified distribution is then accepted if

$$\chi^2 < \chi_{1-p, m-k-1}^2 \quad (14)$$

where  $p$  is significance level (Han 1979).

**Table 2** The SPI categories (McKee et al. 1993)

| SPI interval                    | Category       |
|---------------------------------|----------------|
| $2.00 \leq \text{SPI}$          | Extremely wet  |
| $1.50 \leq \text{SPI} < 2.00$   | Very wet       |
| $1.00 \leq \text{SPI} < 1.50$   | Moderately wet |
| $-1.00 \leq \text{SPI} < 1.00$  | Near normal    |
| $-1.50 < \text{SPI} \leq -1.00$ | Moderately dry |
| $-2.00 < \text{SPI} \leq -1.50$ | Severely dry   |
| $-2.00 \geq \text{SPI}$         | Extremely dry  |

**Table 3** Goodness-of-fit test results

| Station (sample Size) | Prob. dist  | <i>D</i>             | Prob. dist  | $\chi^2$             | # of D.F |
|-----------------------|-------------|----------------------|-------------|----------------------|----------|
| Bafra<br>(696)        | Normal      | 0.08639              | Normal      | 91.47130             | 7        |
|                       | Lognormal   | 0.06790              | Lognormal   | 55.86780             |          |
|                       | Gamma 2     | 0.02726              | Gamma 2     | 3.97126 <sup>a</sup> |          |
|                       | Pearson III | 0.0223 <sup>a</sup>  | Pearson III | 4.22989              |          |
| Bogazliyan<br>(696)   | Normal      | 0.11515              | Normal      | 197.402              | 7        |
|                       | Lognormal   | 0.16720              | Lognormal   | 225.977              |          |
|                       | Gamma 2     | 0.11192              | Gamma 2     | 108.707              |          |
|                       | Pearson III | 0.07103              | Pearson III | 16.060 <sup>c</sup>  |          |
| Boyabat<br>(696)      | Normal      | 0.11729              | Normal      | 180.092              | 7        |
|                       | Lognormal   | 0.08776              | Lognormal   | 48.8276              |          |
|                       | Gamma 2     | 0.0389 <sup>a</sup>  | Gamma 2     | 17.592 <sup>c</sup>  |          |
|                       | Pearson III | 0.09078              | Pearson III | 32.7644              |          |
| Cankiri<br>(696)      | Normal      | 0.10304              | Normal      | 213.684              | 6        |
|                       | Lognormal   | 0.12928              | Lognormal   | 172.506              |          |
|                       | Gamma 2     | 0.05766              | Gamma 2     | 38.0517              |          |
|                       | Pearson III | 0.0509 <sup>b</sup>  | Pearson III | 11.414 <sup>b</sup>  |          |
| Cicekdagi<br>(552)    | Normal      | 0.11271              | Normal      | 187.746              | 6        |
|                       | Lognormal   | 0.17233              | Lognormal   | 192.348              |          |
|                       | Gamma 2     | 0.08917              | Gamma 2     | 73.7246              |          |
|                       | Pearson III | 0.0605 <sup>c</sup>  | Pearson III | 15.971 <sup>c</sup>  |          |
| Develi<br>(696)       | Normal      | 0.12396              | Normal      | 304.319              | 5        |
|                       | Lognormal   | 0.19479              | Lognormal   | 299.509              |          |
|                       | Gamma 2     | 0.11044              | Gamma 2     | 119.328              |          |
|                       | Pearson III | 0.09073              | Pearson III | 26.2759              |          |
| Gemerek<br>(696)      | Normal      | 0.10944              | Normal      | 211.299              | 6        |
|                       | Lognormal   | 0.16100              | Lognormal   | 203.856              |          |
|                       | Gamma 2     | 0.09824              | Gamma 2     | 94.4598              |          |
|                       | Pearson III | 0.06596              | Pearson III | 11.931 <sup>b</sup>  |          |
| Ilgaz<br>(696)        | Normal      | 0.09880              | Normal      | 196.155              | 6        |
|                       | Lognormal   | 0.11883              | Lognormal   | 134.948              |          |
|                       | Gamma 2     | 0.06230              | Gamma 2     | 44.6034              |          |
|                       | Pearson III | 0.0356 <sup>a</sup>  | Pearson III | 23.4828              |          |
| Kaman<br>(696)        | Normal      | 0.12252              | Normal      | 205.652              | 7        |
|                       | Lognormal   | 0.17007              | Lognormal   | 267.480              |          |
|                       | Gamma 2     | 0.10648              | Gamma 2     | 102.670              |          |
|                       | Pearson III | 0.06901              | Pearson III | 19.0632              |          |
| Kastamonu<br>(696)    | Normal      | 0.11286              | Normal      | 157.161              | 7        |
|                       | Lognormal   | 0.06690              | Lognormal   | 41.0402              |          |
|                       | Gamma 2     | 0.03031 <sup>a</sup> | Gamma 2     | 11.902 <sup>a</sup>  |          |
|                       | Pearson III | 0.06152              | Pearson III | 21.7874              |          |
| Kayseri<br>(696)      | Normal      | 0.10354              | Normal      | 231.960              | 6        |
|                       | Lognormal   | 0.16456              | Lognormal   | 218.167              |          |
|                       | Gamma 2     | 0.10463              | Gamma 2     | 102.851              |          |
|                       | Pearson III | 0.06842              | Pearson III | 14.459 <sup>c</sup>  |          |
| Keskin<br>(696)       | Normal      | 0.10861              | Normal      | 233.023              | 6        |
|                       | Lognormal   | 0.14686              | Lognormal   | 181.213              |          |
|                       | Gamma 2     | 0.08424              | Gamma 2     | 54.8333              |          |
|                       | Pearson III | 0.06857              | Pearson III | 12.879 <sup>c</sup>  |          |

**Table 3** (continued)

| Station (sample Size) | Prob. dist         | <i>D</i>            | Prob. dist         | $\chi^2$            | # of D.F |
|-----------------------|--------------------|---------------------|--------------------|---------------------|----------|
| Kırıkkale<br>(696)    | Normal             | 0.11583             | Normal             | 226.213             | 6        |
|                       | Lognormal          | 0.15988             | Lognormal          | 216.644             |          |
|                       | Gamma 2            | 0.08641             | Gamma 2            | 65.2069             |          |
|                       | <i>Pearson III</i> | 0.07876             | <i>Pearson III</i> | 10.786 <sup>b</sup> |          |
| Kirsehir<br>(696)     | Normal             | 0.11544             | Normal             | 231.902             | 6        |
|                       | Lognormal          | 0.1758              | Lognormal          | 242.534             |          |
|                       | Gamma 2            | 0.10539             | Gamma 2            | 93.6552             |          |
|                       | <i>Pearson III</i> | 0.07685             | <i>Pearson III</i> | 18.167 <sup>c</sup> |          |
| Nevsehir<br>(696)     | Normal             | 0.1043              | Normal             | 235.983             | 6        |
|                       | Lognormal          | 0.16738             | Lognormal          | 242.851             |          |
|                       | Gamma 2            | 0.11269             | Gamma 2            | 113.368             |          |
|                       | <i>Pearson III</i> | 0.07664             | <i>Pearson III</i> | 12.707 <sup>c</sup> |          |
| Osmancik<br>(504)     | Normal             | 0.09074             | Normal             | 86.3175             | 6        |
|                       | Lognormal          | 0.10953             | Lognormal          | 96.5159             |          |
|                       | Gamma 2            | 0.0599              | Gamma 2            | 18.2222             |          |
|                       | <i>Pearson III</i> | 0.0454 <sup>a</sup> | <i>Pearson III</i> | 5.7222 <sup>a</sup> |          |
| Sivas<br>(696)        | Normal             | 0.09658             | Normal             | 11.282 <sup>c</sup> | 5        |
|                       | Lognormal          | 0.16103             | Lognormal          | 251.356             |          |
|                       | Gamma 2            | 0.10329             | Gamma 2            | 97.9655             |          |
|                       | <i>Pearson III</i> | 0.06461             | <i>Pearson III</i> | 25.6954             |          |
| Tosya<br>(696)        | Normal             | 0.08074             | Normal             | 81.9885             | 6        |
|                       | Lognormal          | 0.10188             | Lognormal          | 110.753             |          |
|                       | Gamma 2            | 0.04858             | Gamma 2            | 23.9425             |          |
|                       | <i>Pearson III</i> | 0.0348 <sup>a</sup> | <i>Pearson III</i> | 10.897 <sup>b</sup> |          |
| Urgup<br>(648)        | Normal             | 0.11349             | Normal             | 212.410             | 7        |
|                       | Lognormal          | 0.17807             | Lognormal          | 246.769             |          |
|                       | Gamma 2            | 0.11655             | Gamma 2            | 128.485             |          |
|                       | <i>Pearson III</i> | 0.07888             | <i>Pearson III</i> | 14.546 <sup>c</sup> |          |
| Vezirkopru<br>(696)   | Normal             | 0.05053             | Normal             | 18.6839             | 6        |
|                       | Lognormal          | 0.09766             | Lognormal          | 92.4483             |          |
|                       | Gamma 2            | 0.0518              | Gamma 2            | 36.0977             |          |
|                       | <i>Pearson III</i> | 0.0238 <sup>a</sup> | <i>Pearson III</i> | 3.4540 <sup>a</sup> |          |
| Yozgat<br>(696)       | Normal             | 0.1008              | Normal             | 221.098             | 6        |
|                       | Lognormal          | 0.15858             | Lognormal          | 215.494             |          |
|                       | Gamma 2            | 0.09923             | Gamma 2            | 82.5345             |          |
|                       | <i>Pearson III</i> | 0.06970             | <i>Pearson III</i> | 13.081 <sup>c</sup> |          |
| Zara<br>(696)         | Normal             | 0.09657             | Normal             | 94.4310             | 6        |
|                       | Lognormal          | 0.16464             | Lognormal          | 203.253             |          |
|                       | Gamma 2            | 0.09336             | Gamma 2            | 96.0115             |          |
|                       | <i>Pearson III</i> | 0.0613 <sup>c</sup> | <i>Pearson III</i> | 14.000 <sup>c</sup> |          |

Superscripts a, b, and c indicate that the probability distribution is the best-fit at 0.1, 0.05, and 0.01 significance levels, respectively

### Kolmogorov–Smirnov test

As a non-parametric test, the Kolmogorov–Smirnov (K-S) test focuses on the deviations between the hypothesized CDF  $F_X(x)$  and the observed cumulative histogram (also called the empirical CDF):

$$F^*(X^{(i)}) = \frac{i}{n} \quad (15)$$

where  $X^{(i)}$  is the  $i$ th largest observed value in the random sample of size  $n$ . The K-S test statistic  $D$  is then determined with Eq. (16):

$$D = \max_{i=1}^n \left[ \left| F^*(X^{(i)}) - F_X(X^{(i)}) \right| \right] = \max_{i=1}^n \left[ \left| \frac{i}{n} - F_X(X^{(i)}) \right| \right] \quad (16)$$

Here,  $D$  is the largest of the absolute values of the  $n$  differences between the hypothesized and empirical CDFs determined at the observed values in the sample. Since the distribution of statistic  $D$  is known, one can determine the critical value  $D_c$  at a given significance level for checking the hypothesis. Accordingly, the hypothesis that  $X$  has a specified distribution is accepted if  $D \leq D_c$  (Benjamin and Cornell 1970; Naaman 2021).

## SPI

The Standardized Precipitation Index (SPI) method was developed by McKee et al. (1993, 1995) for providing an indicator of drought severity. In essence, based on the probability of precipitation data for a specified period of time, the SPI methodology is simple, as the precipitation is the only variable to be considered. Additionally, the method provides the utility of different time scales for meteorological drought evaluations at the basin scale. A standardized precipitation series is determined using the arithmetic average ( $\mu_x$ ) and standard deviation ( $\sigma_x$ ) of the precipitation data. For a given  $X_1, X_2, \dots, X_n$  precipitation data, SPI series,  $x_i$ , is obtained from Eq. (17):

$$x_i = (X_i - \mu_x) / \sigma_x \quad (17)$$

Here, the negative and positive values of  $x_i$  represent precipitation deficits (dryness) and precipitation excesses (wetness), respectively. The SPI categories or classifications for the specified SPI intervals are given in Table 2.

## IDW interpolation method

The inverse distance weighting (IDW) interpolation method is frequently used in the estimation of spatial distribution for precipitation data. In this method, the relationship and similarity between two points are assumed to be proportional to the distance between them, and therefore as the distance increases, the impact and importance on the point to be estimated decreases. In other words, the influence of the near points to the unknown value at a certain place is greater than that of the far points. The underlying conjecture of the IDW interpolation is the positive spatial autocorrelation conjecture. The spatial distribution of precipitation is predicted by weighting it inversely as the square of the distance from the observation points to the predicted point (Watson and Philip 1985; Armstrong

and Marciano 1994). The equation of the IDW interpolation is given by Eq. (18):

$$P = \left( \sum_{i=1}^n \frac{1}{d_i^2} P_i / \sum_{i=1}^n \frac{1}{d_i^2} \right) \quad (18)$$

where  $P$  is the predicted value at an unobserved point;  $P_i$  is the observed value at the point  $i$ ;  $n$  is the number of sample points; and  $d$  is the distance between the point  $i$  and certain observed point.

## Results and discussion

### Goodness-of-fit test results for the selected probability distributions

In this study, four probability distributions including the normal, lognormal, two-parameter Gamma and Pearson type III were chosen for the best-fit analysis of the monthly precipitation data. The selected probability distributions were subjected to goodness-of-fit tests with the Kolmogorov–Smirnov (K-S) and chi-square tests. The best-fit probability distribution for the selected meteorological stations in the Kizilirmak river basin was determined according to D (K-S) and  $\chi^2$  (chi-square) statistics at 0.1, 0.05, and 0.01 significance levels. The goodness-of-fit test results for each station are tabulated in Table 3, where Pearson type III probability distribution appears to be the best-fit for the monthly precipitation data at 19 out of 22 meteorological stations. On the other hand, the Gamma and normal probability distributions were found to be the best-fit at the remaining stations. As shown in the Table, Pearson type III is accepted as the most appropriate probability distribution with the lowest

**Table 4** The critical values of Kolmogorov–Smirnov ( $D_c$ ) and chi-square ( $\chi^2$ ) statistics for  $p=0.1$ , 0.05, and 0.01 significance levels

| Sample size             | Kolmogorov–Smirnov ( $D_c$ ) |          |          |
|-------------------------|------------------------------|----------|----------|
|                         | $p=0.1$                      | $p=0.05$ | $p=0.01$ |
| 696                     | 0.04636                      | 0.05147  | 0.06175  |
| 552                     | 0.05205                      | 0.05780  | 0.06933  |
| 504                     | 0.05448                      | 0.06049  | 0.07256  |
| 648                     | 0.04804                      | 0.05335  | 0.06399  |
| Chi-square ( $\chi^2$ ) |                              |          |          |
| # of D.F                | $p=0.1$                      | $p=0.05$ | $p=0.01$ |
| 4                       | 7.779                        | 9.488    | 13.28    |
| 5                       | 9.236                        | 11.07    | 15.09    |
| 6                       | 10.64                        | 12.59    | 16.81    |
| 7                       | 12.02                        | 14.07    | 18.48    |

**Fig. 2** The SPI time series at 1, 3, 6, 12, and 24-month scales for the Kizilirmak river basin (1960–2017)

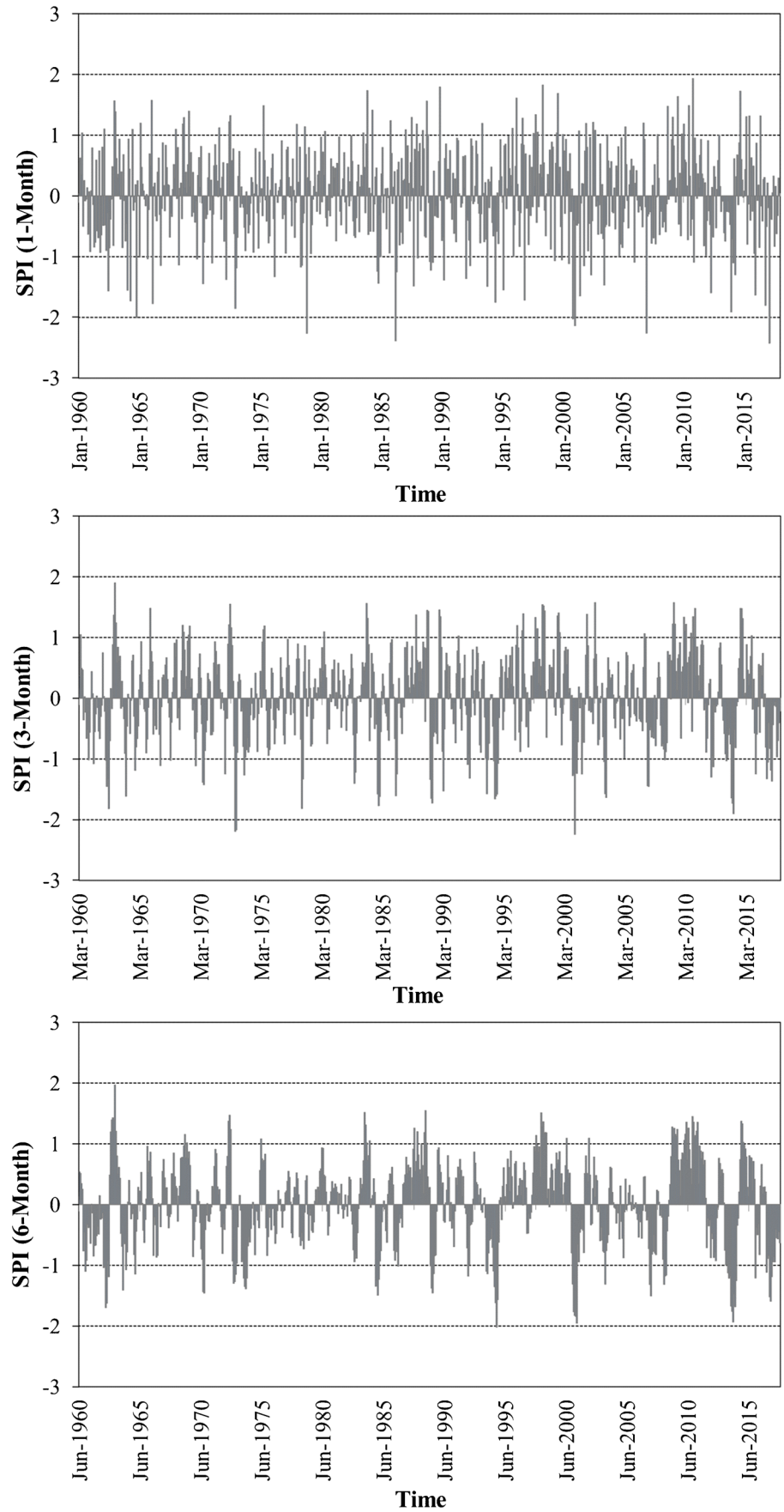
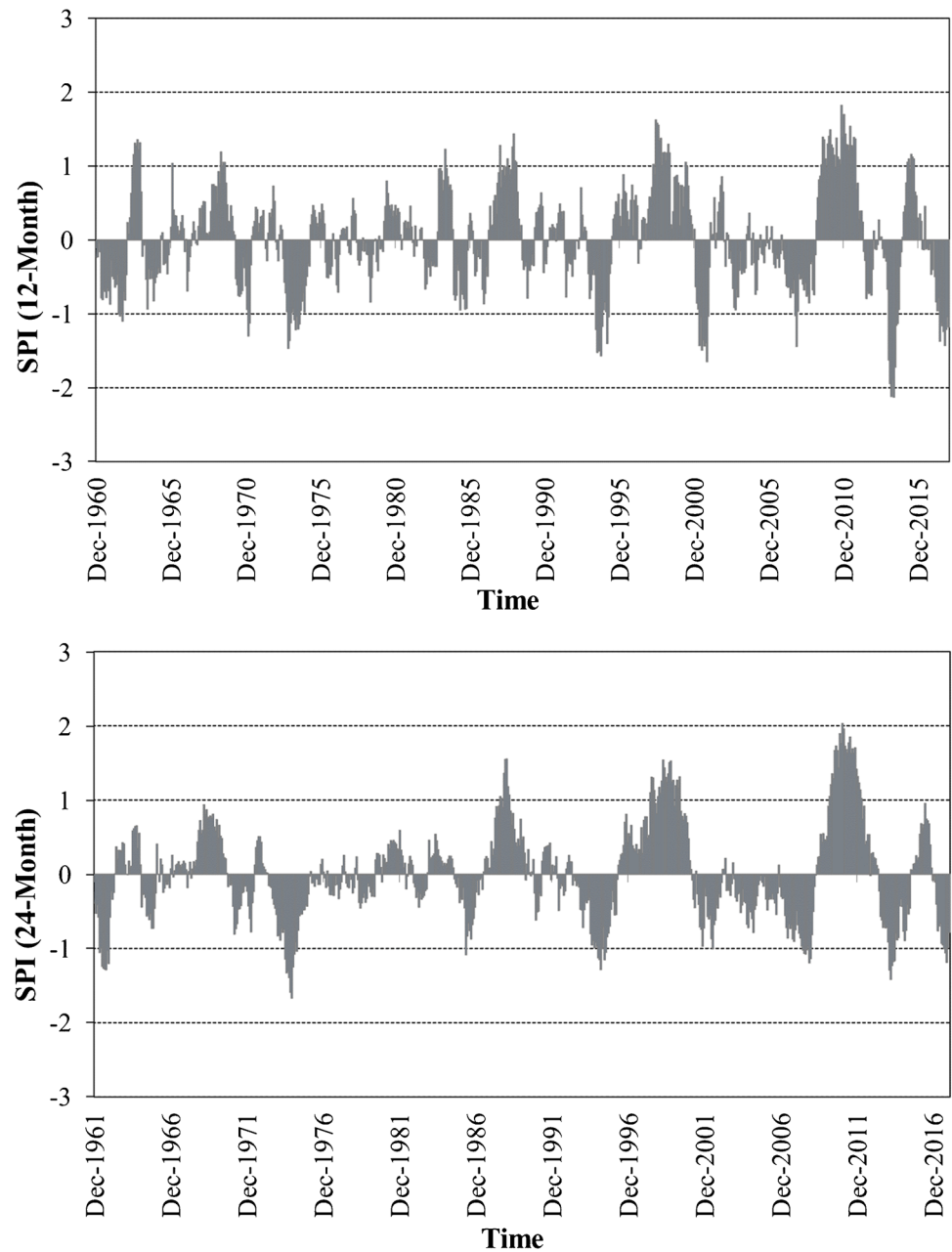


Fig. 2 (continued)



values of  $D$  and  $\chi^2$  statistics for the Develi and Kaman stations where no significance level could be obtained. Table 4 contains the critical values of  $D$  and  $\chi^2$  statistics for  $p=0.1$ , 0.05, and 0.01 significance levels with the given sample size and number of degrees of freedom (# of D.F.).

### SPI results

The temporal characteristics of the historical droughts including intensity and magnitude in the Kizilirmak river basin were determined by means of the SPI method. The

SPI values at different time scales were therefore calculated by using the regional average of monthly precipitation data. The temporal evolution of SPI at 1, 3, 6, 12, and 24-month scales is presented in Fig. 2 which displays droughts of varying durations and intensities during the study period. As shown in the figure, the frequency of dry periods ( $SPI < 0$ ) is relatively high at short timescales, and it decreases as the timescale increases. Also, the average duration of droughts changes significantly depending on the time scale.

It is essentially important to analyze SPI time scales longer than 6 months to identify the main droughts because at shorter time scales, the SPI values of high frequency can

hide the most significant dry periods (Vicente-Serrano and Lopez-Moreno 2005). For example, as shown in Fig. 2, the prolonged dry episodes within the study basin from 1960 to 2017 become more visible at the SPI time scales longer than 6 months.

The annual SPI time series for the basin during the 1960–2017 period is shown in Fig. 3, where the long-term average drought intensity is nearly  $-0.25$  with a maximum value of about  $-1.70$  in 2013. Here, it should be noted that 31 out of 58 years were affected by droughts with 1 severe, 2 moderate, and 28 mild categories. The major drought events in 1962, 1964, 1970, 1973–1974, 1982, 1984, 1986, 1993–1994, 2001, 2007–2008, 2013, and 2017 can be detected from the figure. The spatial maps for the selected historical droughts are displayed in Fig. 4. Here, the spatial distribution of annual drought intensities was estimated by the IDW interpolation technique. The evaluation of the drought maps actually indicates that the Kizilirmak river basin was influenced by the widespread drought events in the entire country during the study period. As the figure indicates, a significant part of the basin was under extreme drought impacts during 1973 and 2013.

## Conclusion

The aim of this research was to find the most appropriate probability distributions for the monthly precipitation time series in the Kizilirmak river basin, Turkey, for the evaluation of temporal and spatial characteristics of the meteorological droughts during the 1960–2017 period. Kolmogorov–Smirnov (K-S) and chi-square goodness-of-fit tests were applied to evaluate the best-fit probability distribution for the monthly precipitation at the selected meteorological stations across the basin. The Standardized Precipitation Index (SPI)

method was then utilized in order to investigate the temporal and spatial features of the selected historical droughts in the study area.

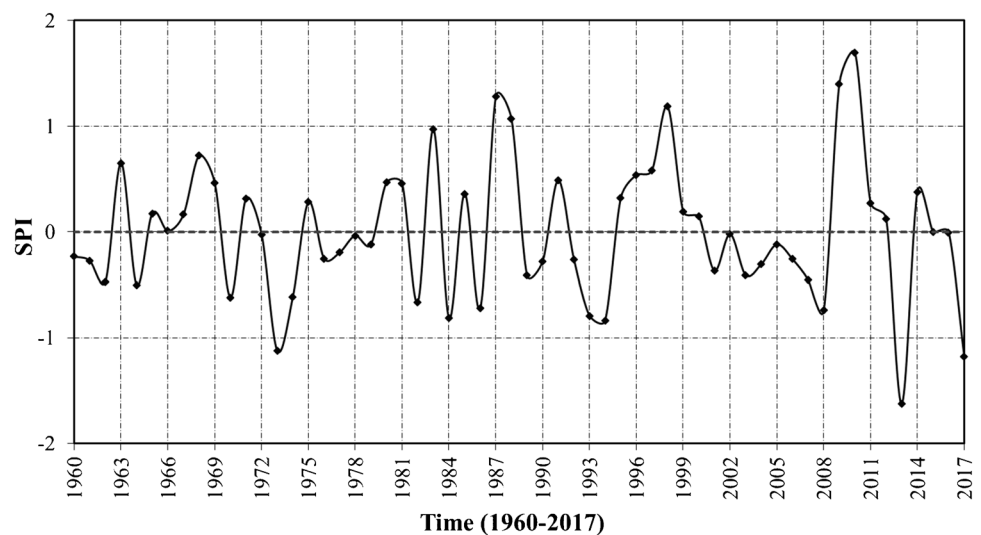
In the study, the normal, lognormal, two-parameter Gamma and Pearson type III probability distributions were chosen for the best-fit analysis, and they were subjected to goodness-of-fit tests. As the study results revealed, the Pearson type III probability distribution was found to be the best-fit for the monthly precipitation at the majority of stations (19 out of 22). Also, the two-parameter Gamma and normal probability distributions were determined as the best-fit for the remaining stations in the basin. For the goodness-of-fit test, K-S, and chi-square test statistics ( $D$  and  $\chi^2$ , respectively) were evaluated at  $p=0.1$ , 0.05 and 0.01 significance levels.

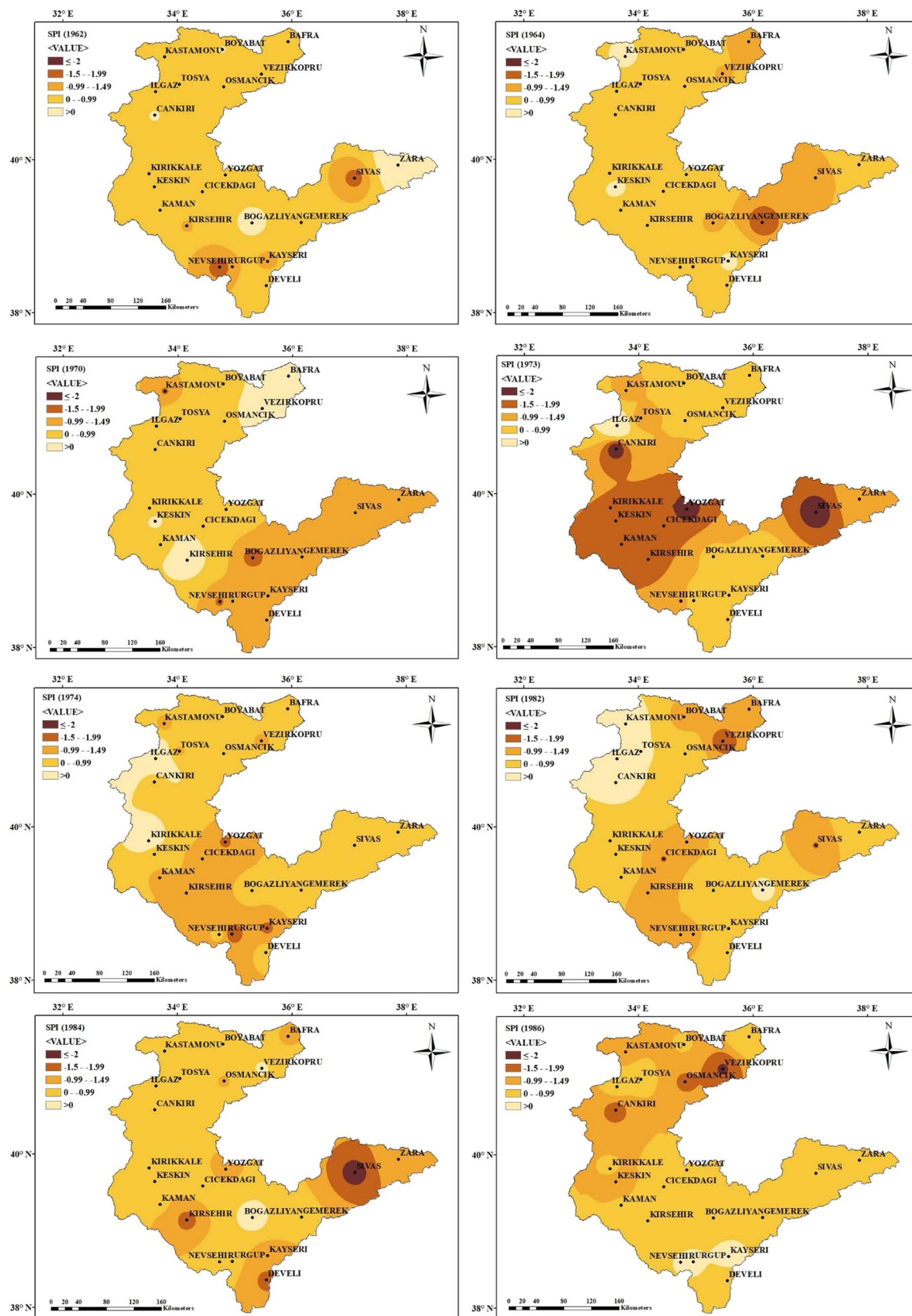
The SPI time series at 1, 3, 6, 12, and 24-month scales obtained from the basin's averaged monthly precipitation data were utilized for assessing the temporal characteristics of historical droughts, such as duration, magnitude, and intensity. The analysis of the SPI results indicated that during the study period, the frequency of dry periods decreases rapidly with the increase of time scale, and the average duration of droughts changes significantly depending on the time scale.

According to the annual SPI time series, the long-term average drought intensity is nearly  $-0.25$  with a maximum value of  $-1.70$  in 2013 within the basin. It was also determined that 31 years in the study period were under drought effects with 1 severe, 2 moderate, and 28 mild categories. The drought maps were constructed using the IDW interpolation technique for the spatial evaluation of the selected historical droughts. Thus, it was observed that the Kizilirmak river basin was under the impact of widespread droughts across the country during the study period.

In recent years, assessing the impacts of climate change, which has actually become more pronounced all over the world, has emerged as an important hydrological problem in

**Fig. 3** The regional mean of annual SPI time series for the Kizilirmak river basin





**Fig. 4** The drought maps for historical droughts in the Kizilirmak river basin

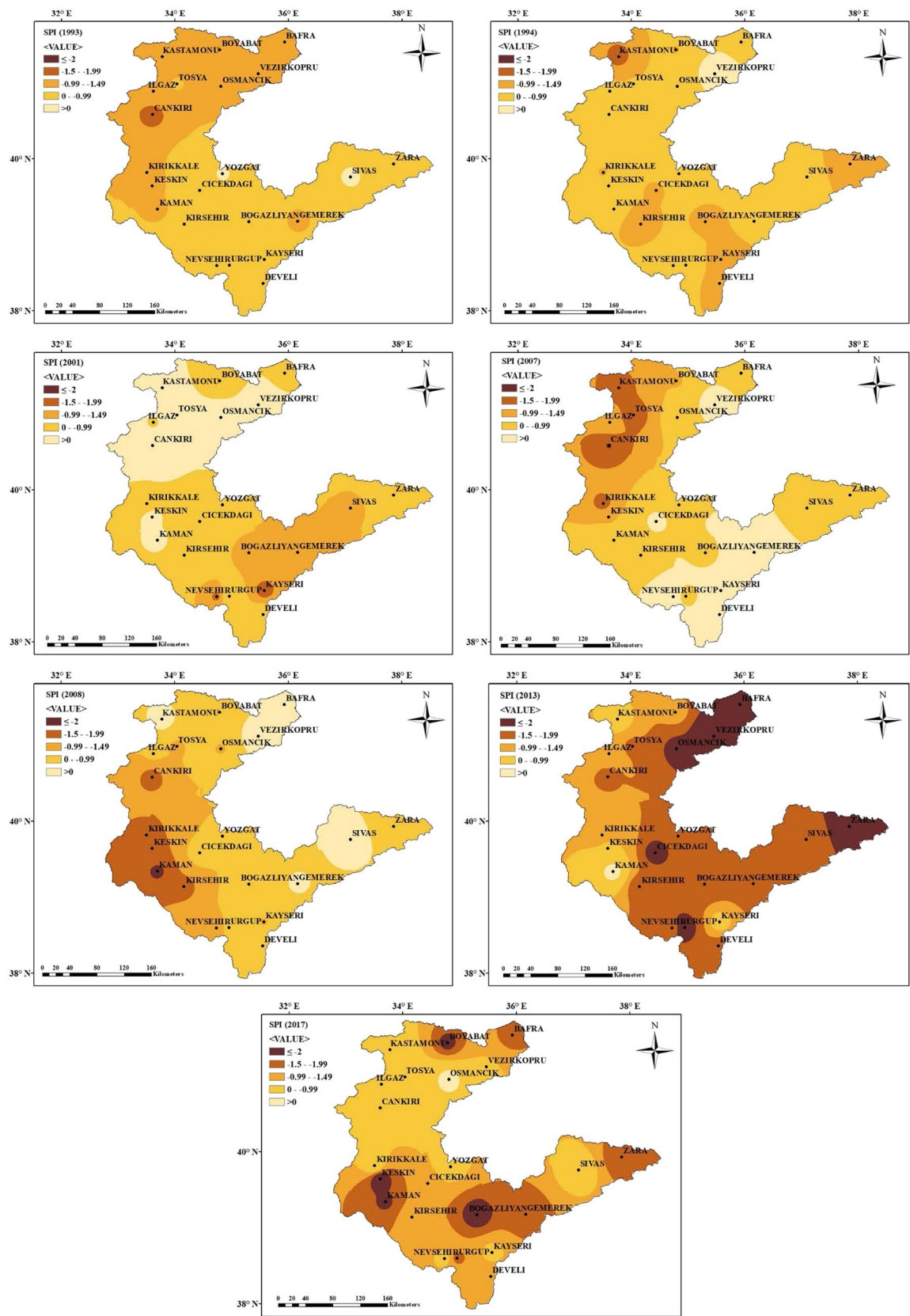


Fig. 4 (continued)

terms of water budget in river basins. In this respect, drought analysis studies can produce helpful information for forecasting and mitigating drought impacts at the basin scale (Kim et al. 2002; Yildiz 2014; Alivi et al. 2021). In this study, the most appropriate probability distributions for the monthly precipitation data in the Kizilirmak river basin were determined and then, the temporal and spatial characteristics of meteorological droughts were analyzed with the SPI method. In summary, the study results revealed very useful drought information which can be employed for drought prediction and management purposes in the basin. In further studies, besides the SPI method, other drought indices suitable for the study basin can be utilized for comparison and additional drought analysis works.

**Acknowledgements** The authors sincerely acknowledge the General Directorate of Meteorology (MGM) of Turkey for providing the precipitation data utilized in this study.

## Declarations

**Conflict of interest** The authors declare no competing interests.

## References

- Aksoy H, Cetin M, Eris E, Burgan HI, Cavus Y, Yildirim I, Sivapalan M (2021) Critical drought intensity-duration-frequency curves based on total probability theorem-coupled frequency analysis. *Hydrol Sci J* 66(8):1337–1358. <https://doi.org/10.1080/02626667.2021.1934473>
- Alivi A, Yıldız O, Aktürk G (2021) Investigating the climate change effects on annual average streamflows in the Euphrates Tigris basin using the climate elasticity method. *J Fac Eng Archit Gazi Univ* 36(3):1449–1466
- Alqaysi NHH, Dursun S, Almuslehi MAA (2017) Estimating drought index using standardized precipitation index from 1901 to 2015, Turkey. *J Int Environ Appl Sci* 12(2):154–160
- Armstrong MP, Marciano RJ (1994) Inverse-distance-weighted spatial interpolation using parallel supercomputers. *Photogramm Eng Remote Sens* 60(10):1097–1103
- Bacanli UG, Aksan GN (2019) Drought analysis in Mediterranean Region. *Pamukkale Univ J Eng Sci* 25(6):665–671. <https://doi.org/10.5505/pajes.2019.64507>
- Benjamin JR, Cornell CA (1970) Probability, statistics, and decision for civil engineers. McGraw-Hill, Inc.
- Dai A (2011) Drought under global warming: a review. *Wiley Interdiscip Rev: Clim Chang* 2(1):45–65. <https://doi.org/10.1002/wcc.81>
- Dikici M (2020) Drought analysis with different indices for the Asi basin (Turkey). *Sci Rep* 10:1–12. <https://doi.org/10.1038/s41598-020-77827-z>
- Dogan S, Berktaş A, Singh VP (2012) Comparison of multi-monthly rainfall-based drought severity indices, with application to semi-arid Konya closed basin, Turkey. *J Hydrol* 470–471:255–268. <https://doi.org/10.1016/j.jhydrol.2012.09.003>
- Durdu OF (2010) Application of linear stochastic models for drought forecasting in the Büyük Menderes river basin, western Turkey. *Stoch Env Res Risk Assess* 24:1145–1162. <https://doi.org/10.1007/s00477-010-0366-3>
- Forbes C, Evans M, Hastings N, Peacock B (2010) Statistical distributions, 4th edn. John Wiley and Sons, New Jersey
- Gumus V, Algin HM (2017) Meteorological and hydrological drought analysis of the Seyhan-Ceyhan river basins, Turkey. *Meteorol Appl* 24(1):62–73. <https://doi.org/10.1002/met.1605>
- Han CT (1979) Statistical methods in hydrology. The Iowa State University Press, Ames
- Karabulut M (2015) Drought analysis in Antakya-Kahramanmaraş Graben, Turkey. *J Arid Land* 7(6):741–754. <https://doi.org/10.1007/s40333-015-0011-6>
- Katipoglu OM, Acar R, Senocak S (2021) Spatio-temporal analysis of meteorological and hydrological droughts in the Euphrates basin, Turkey. *Water Supply* 21(4):1657–1673. <https://doi.org/10.2166/ws.2021.019>
- Keskin F, Sorman AU (2010) Assessment of the dry and wet period severity with hydrometeorological index. *Int J Water Resour Environ Eng* 2147483647(2):F3374031586. <https://doi.org/10.5897/IJWREE.9000006>
- Kim T-W, Valdés JB, Aparicio J (2002) Frequency and spatial characteristics of droughts in the Conchos River basin, Mexico. *Water Int* 27(3):420–430. <https://doi.org/10.1080/02508060208687021>
- Komuscu AU (2001) An analysis of recent drought conditions in Turkey in relation to circulation patterns. *Drought Network News* 13(2–3):5–6
- Kumanlioglu AA (2020) Characterizing meteorological and hydrological droughts: a case study of the Gediz river basin, Turkey. *Meteorol Appl* 27(1):1–17. <https://doi.org/10.1002/met.1857>
- McKee TB, Doesken NJ, Kleist J (1993) The relationship of drought frequency and duration to time scales, 8th Conference on Applied Climatology, 17–22 January 1993, Anaheim, California, 179–184
- McKee TB, Doesken NJ, Kleist J (1995) Drought monitoring with multiple time scales, 9th Conference on Applied Climatology, 15–20 January 1995, Dallas, Texas, 233–236
- Mishra AK, Singh VP (2010) A review of drought concepts. *J Hydrol* 391:202–216. <https://doi.org/10.1016/j.jhydrol.2010.07.012>
- Molavizadeh N, Sertel E, Demirel H (2016) Drought conditions in Turkey between 2004 and 2013 via drought indices derived from remotely sensed data. In: Grammelis P (eds) Energy, transportation and global warming. Green Energy and Technology. Springer, Cham. [https://doi.org/10.1007/978-3-319-30127-3\\_10](https://doi.org/10.1007/978-3-319-30127-3_10)
- Mouatadid S, Raj N, Deo RC, Adamowski JF (2018) Input selection and data-driven model performance optimization to predict the standardized precipitation and evaporation index in a drought-prone region. *Atmos Res* 212:130–149. <https://doi.org/10.1016/j.atmosres.2018.05.012>
- Naaman M (2021) On the tight constant in the multivariate Dvoretzky-Kiefer-Wolfowitz inequality. *Statist Probab Lett* 173:109088. <https://doi.org/10.1016/j.spl.2021.109088>
- Nan Y, Bao-hui M, Chun-kun L (2011) Impact analysis of climate change on water resources. *Procedia Eng* 24:643–648. <https://doi.org/10.1016/j.proeng.2011.11.2710>
- Oguzturk G, Yildiz O (2016) Assessing hydrological responses to droughts in the Hirfanli Dam Basin, Turkey. *Int J Adv Mech Civ Eng* 3(5):116–123
- Oguzturk G (2010) Drought analysis in the Kizilirmak river basin and drought prediction analysis with neural networks (in Turkish). Master of Science Thesis, Graduate School, Kırıkkale University
- Ozger M, Basakin EE, Ekmekcioğlu O, Hacısuleyman V (2020) Comparison of wavelet and empirical mode decomposition hybrid models in drought prediction. *Comput Electron Agric* 179:105851. <https://doi.org/10.1016/j.compag.2020.105851>
- Pamuk G, Ozgurel M, Topcuoglu K (2004) Drought analysis in the Aegean region with SPI (in Turkish). *J Ege Univ Agric Fac* 41(1):99–106

- Poschlod B, Willkofer F, Ludwig R (2020) Impact of climate change on the hydrological regimes in Bavaria. *Water* 12(6):1599. <https://doi.org/10.3390/w12061599>
- Potop V, Možný M, Soukup J (2012) Drought evolution at various time scales in the lowland regions and their impact on vegetable crops in the Czech Republic. *Agric for Meteorol* 156:121–133. <https://doi.org/10.1016/j.agrformet.2012.01.002>
- Sagdic M, Koc H (2012) The climate of the upper Kizilirmak basin. *Turk Geogr Rev* 58:1–20 (in Turkish)
- Sirdas S, Sen Z (2003) Spatio-temporal drought analysis in the Trakya region, Turkey. *Hydrol Sci J* 48(5):809–820. <https://doi.org/10.1623/hysj.48.5.809.51458>
- Sonmez FK, Komuscu AU, Erkan A, Turgu E (2005) An analysis of spatial and temporal dimension of drought vulnerability in Turkey using the standardized precipitation index. *Nat Hazards* 35(2):243–264. <https://doi.org/10.1007/s11069-004-5704-7>
- Svoboda MD, Fuchs BA, Poulsen CC, Nothwehr JR (2015) The drought risk atlas: enhancing decision support for drought risk management in the United States. *J Hydrol* 526:274–286. <https://doi.org/10.1016/j.jhydrol.2015.01.006>
- Tallaksen LM, Van Lanen HAJ (2004) Hydrological drought: processes and estimation methods for streamflow and groundwater. Elsevier, Amsterdam
- Topcu E, Seckin N, Haktanir NA (2021) Drought analyses of Eastern Mediterranean, Seyhan, Ceyhan, and Asi Basins by using aggregate drought index (ADI). *Theoret Appl Climatol*. <https://doi.org/10.1007/s00704-021-03873-w>
- Türkeş M (1996) Spatial and temporal analysis of annual rainfall variations in Turkey. *Int J Climatol* 16(9):1057–1076. [https://doi.org/10.1002/\(SICI\)1097-0088\(199609\)16:9<1057::AID-JOC75>3.0.CO;2-D](https://doi.org/10.1002/(SICI)1097-0088(199609)16:9<1057::AID-JOC75>3.0.CO;2-D)
- Turkes M (1998) Influence of geopotential heights, cyclone frequency and southern oscillation on rainfall variations in Turkey. *Int J Climatol* 18(6):649–680. [https://doi.org/10.1002/\(SICI\)1097-0088\(199805\)18:6<649::AID-JOC269>3.0.CO;2-3](https://doi.org/10.1002/(SICI)1097-0088(199805)18:6<649::AID-JOC269>3.0.CO;2-3)
- Turkes M (2003) Spatial and temporal variations in precipitation and aridity index series of Turkey. In: Bolle H-J (ed) *Mediterranean climate-variability and trends*. Regional Climate Studies. Springer Verlag, Heidelberg, pp 181–213
- Turkes M (2012) Observed and projected climate change, drought and desertification in Turkey (in Turkish). *Ankara Univ J Environ Sci* 4(2):1–32. [https://doi.org/10.1501/Csaum\\_00000000063](https://doi.org/10.1501/Csaum_00000000063)
- Turkes M (2014) Analysis of 2013–2014 drought in Turkey and its climatological and meteorological reasons. *Konya Soil Water J* 2:20–34
- Turkes M, Erlat E (2003) Precipitation changes and variability in Turkey linked to the North Atlantic Oscillation during the period 1930–2000. *Int J Climatol* 23(14):1771–1796. <https://doi.org/10.1002/joc.962>
- Turkes M, Erlat E (2005) Climatological responses of winter precipitation in Turkey to variability of the North Atlantic Oscillation during the period 1930–2001. *Theoret Appl Climatol* 81(1–2):45–69. <https://doi.org/10.1007/s00704-004-0084-1>
- Vicente-Serrano SM, Lopez-Moreno JI (2005) Hydrological response to different time scales of climatological drought: an evaluation of the standardized precipitation index in a Mountainous Mediterranean Basin. *Hydrol Earth Syst Sci* 9(5):523–533. <https://doi.org/10.5194/hess-9-523-2005>
- Watson DF, Philip GM (1985) A refinement of inverse distance weighted interpolation. *Geo-Processing* 2(4):315–327
- Wilhite DA (2000) Drought: a global assessment, 1st edn. Routledge Press, London and New York
- Wilhite DA, Glantz MH (1985) Understanding the drought phenomenon: the role of definitions. *Water Int* 10(3):110–120. <https://doi.org/10.1080/02508068508686328>
- Yildiz O (2014) Spatiotemporal analysis of historical droughts in the central Anatolia, Turkey. *Gazi Univ J Sci* 27(4):1177–1184
- Zhang Y, Li H, Reggiani P (2019) Climate variability and climate change impacts on land surface, hydrological processes and water management. *Water* 11(7):1492. <https://doi.org/10.3390/w11071492>